

Topics:

1. Moment-tensor analysis using global data
2. The Harvard CMT Catalog
3. Using calibration information in waveform analysis
4. Quality control using noise
5. Finding interesting things in the noise

Moment-tensor analysis by waveform fitting

(Observed seismogram)/(Instrument response) x Filter = Observed waveform

(Synthetic displacement seismogram) x Filter = Model waveform

Model waveform depends on:

1. Earthquake parameters
2. Earth structure

If the Earth structure and the earthquake location are known, the

Model waveform depends only on the six elements of the moment tensor,

M_{xx} , M_{yy} , M_{zz} , M_{xy} , M_{xz} , and M_{yz}

Minimize the difference $[\text{Observed waveform} - \text{Model waveform}]^2$

with respect to the moment tensor elements.

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The Harvard CMT Catalog

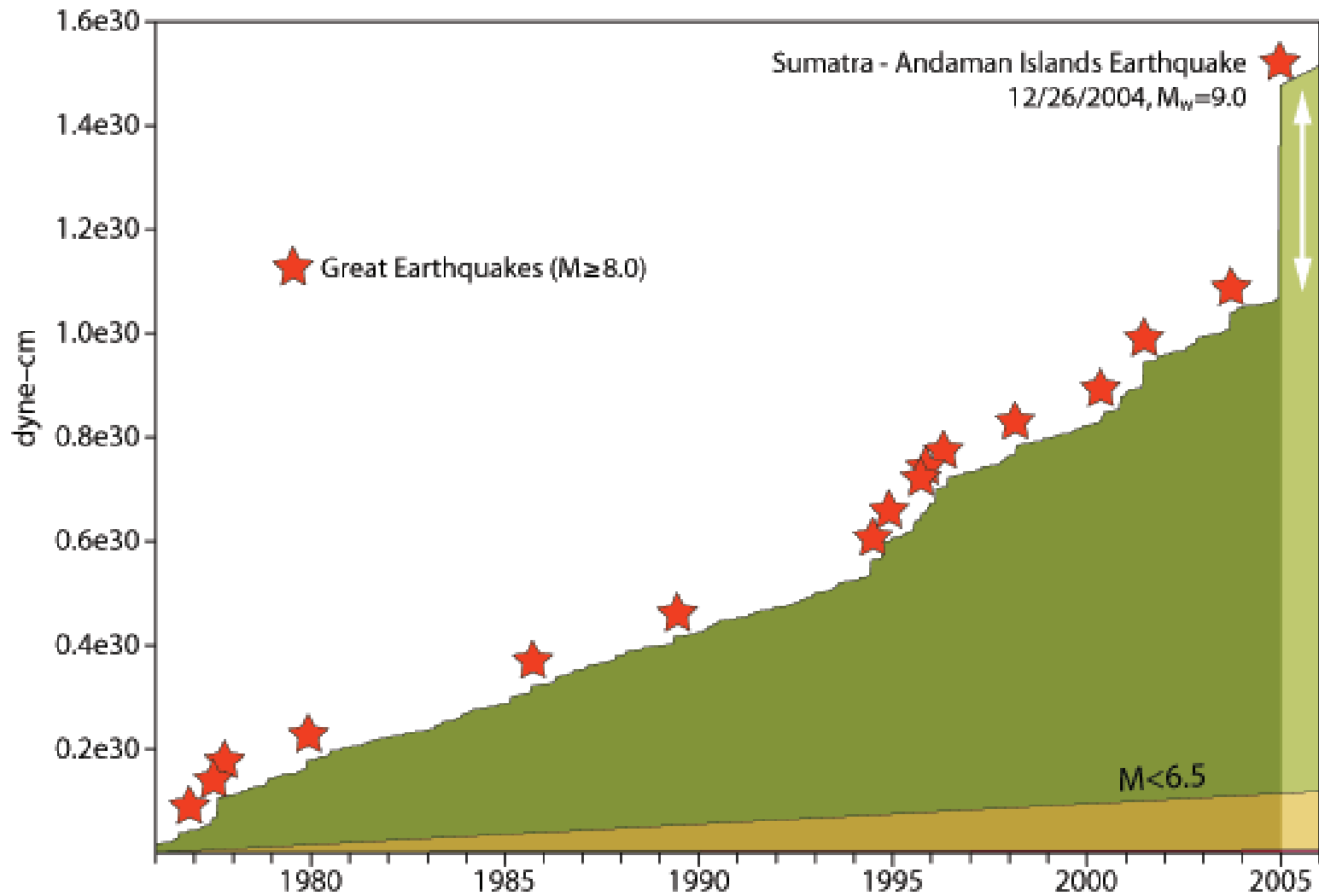
The CMT catalog contains about 21,000 centroid-moment tensor (CMT) solutions for earthquakes since 1976.

The CMT catalog is nearly complete for earthquakes with $M=5.5$ and larger.

The CMT catalog and additional information can be accessed from <http://www.seismology.harvard.edu>

If you want to receive 'quick CMTs', email eq@seismology.harvard.edu

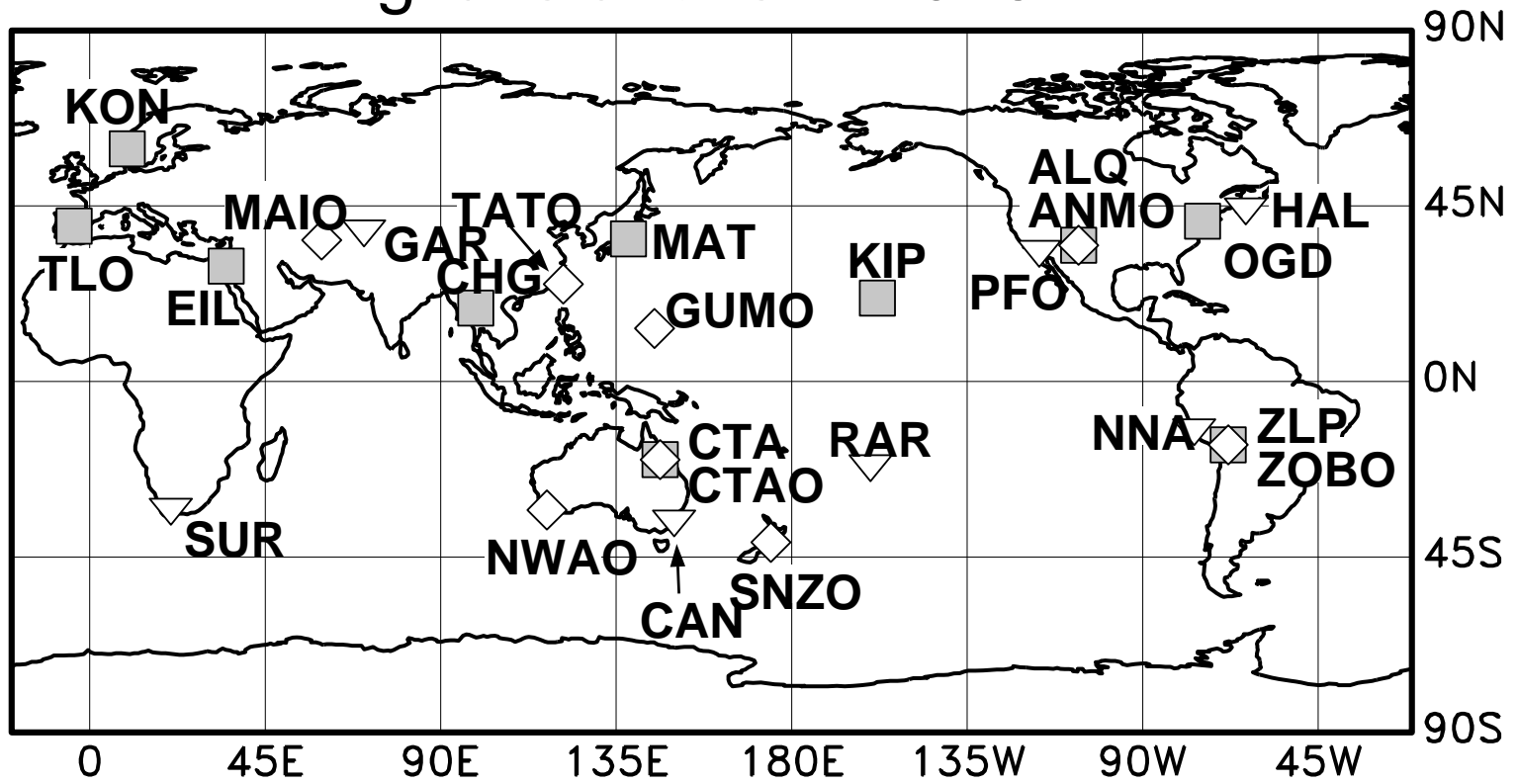
Cumulative moment release since 1976



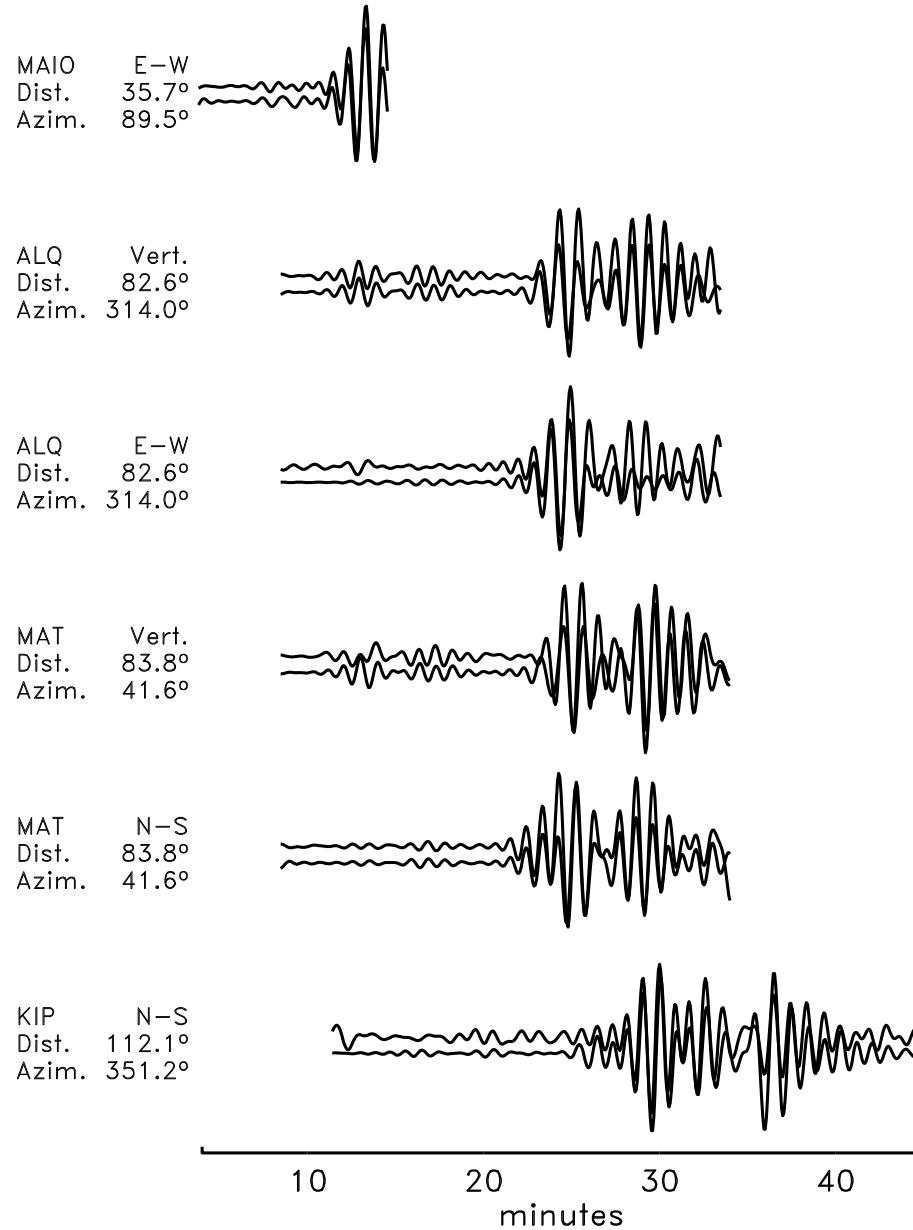
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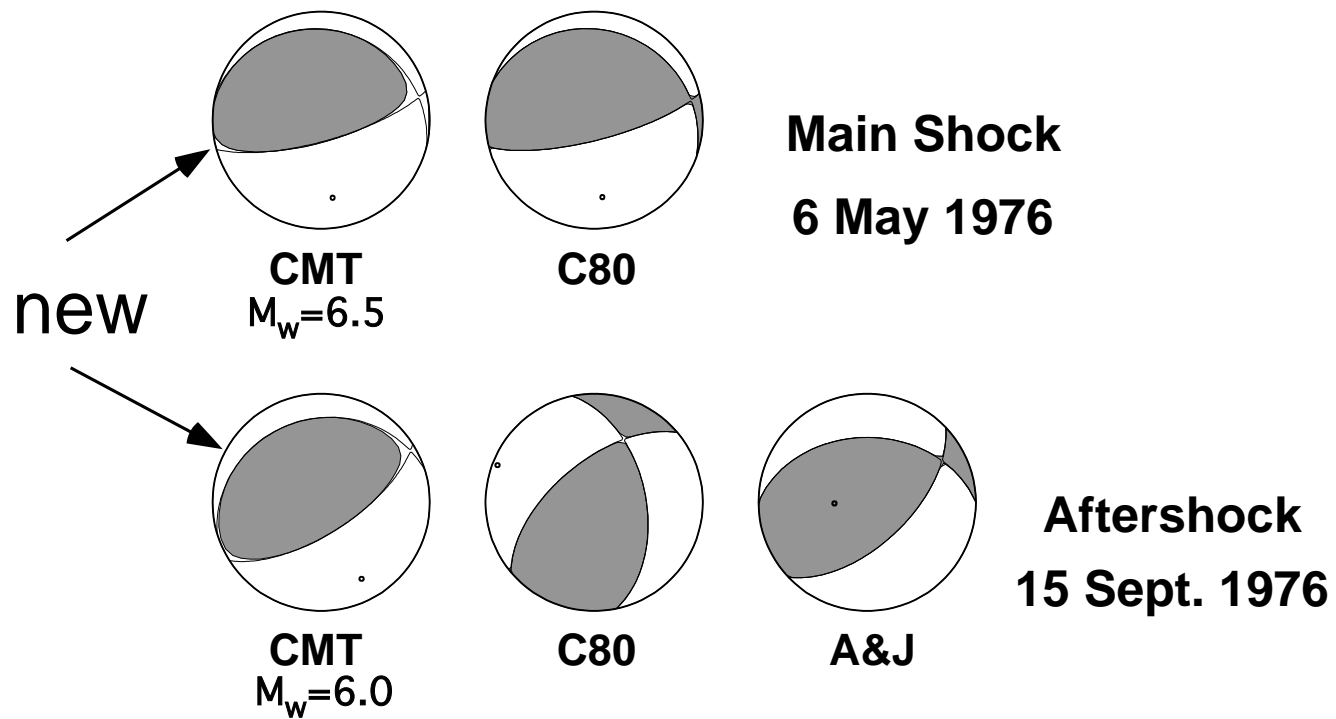
Digital stations in 1976



1976 Friuli earthquake, waveform fits



Friuli Events

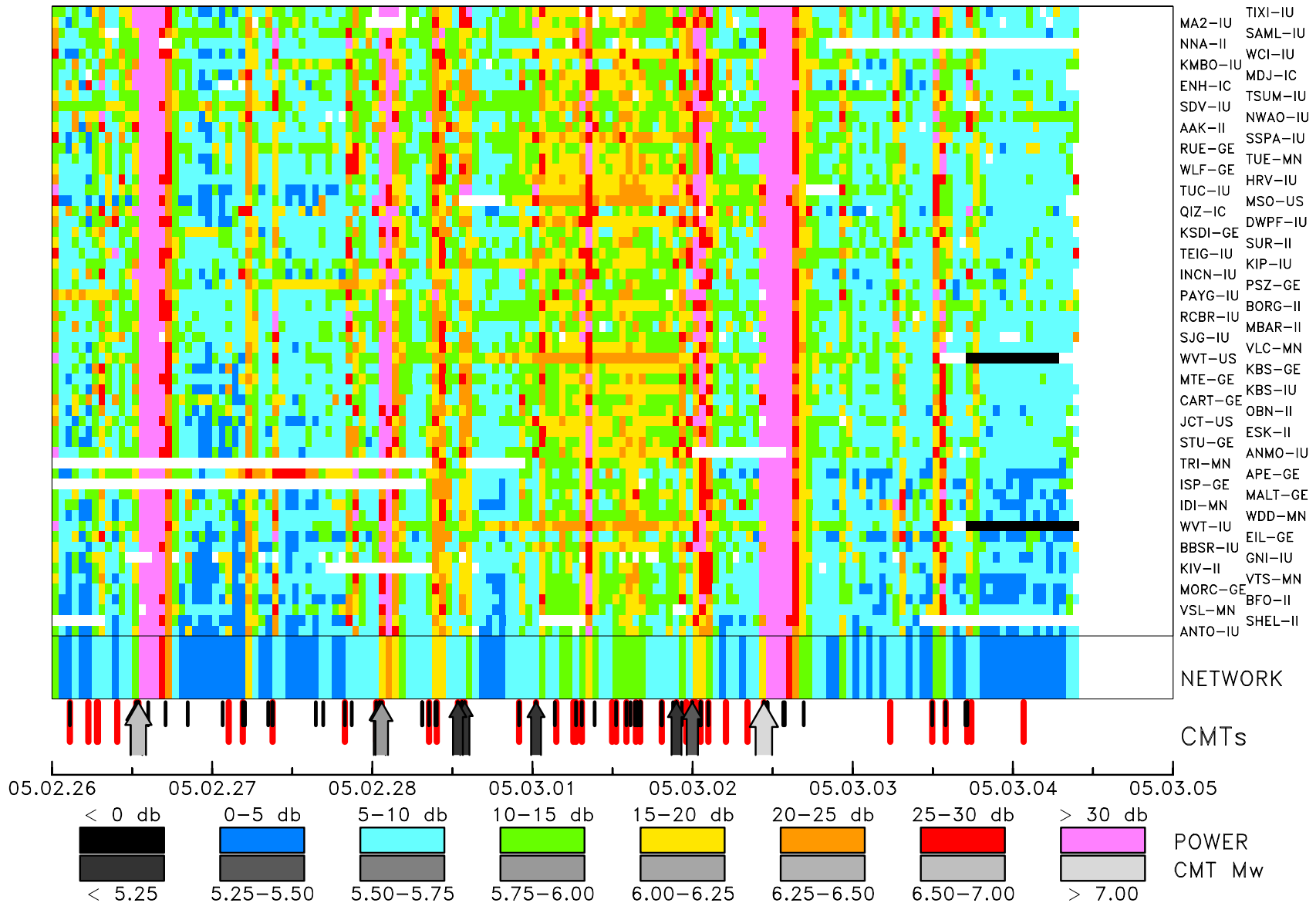


Ekstrom and Nettles, 1997

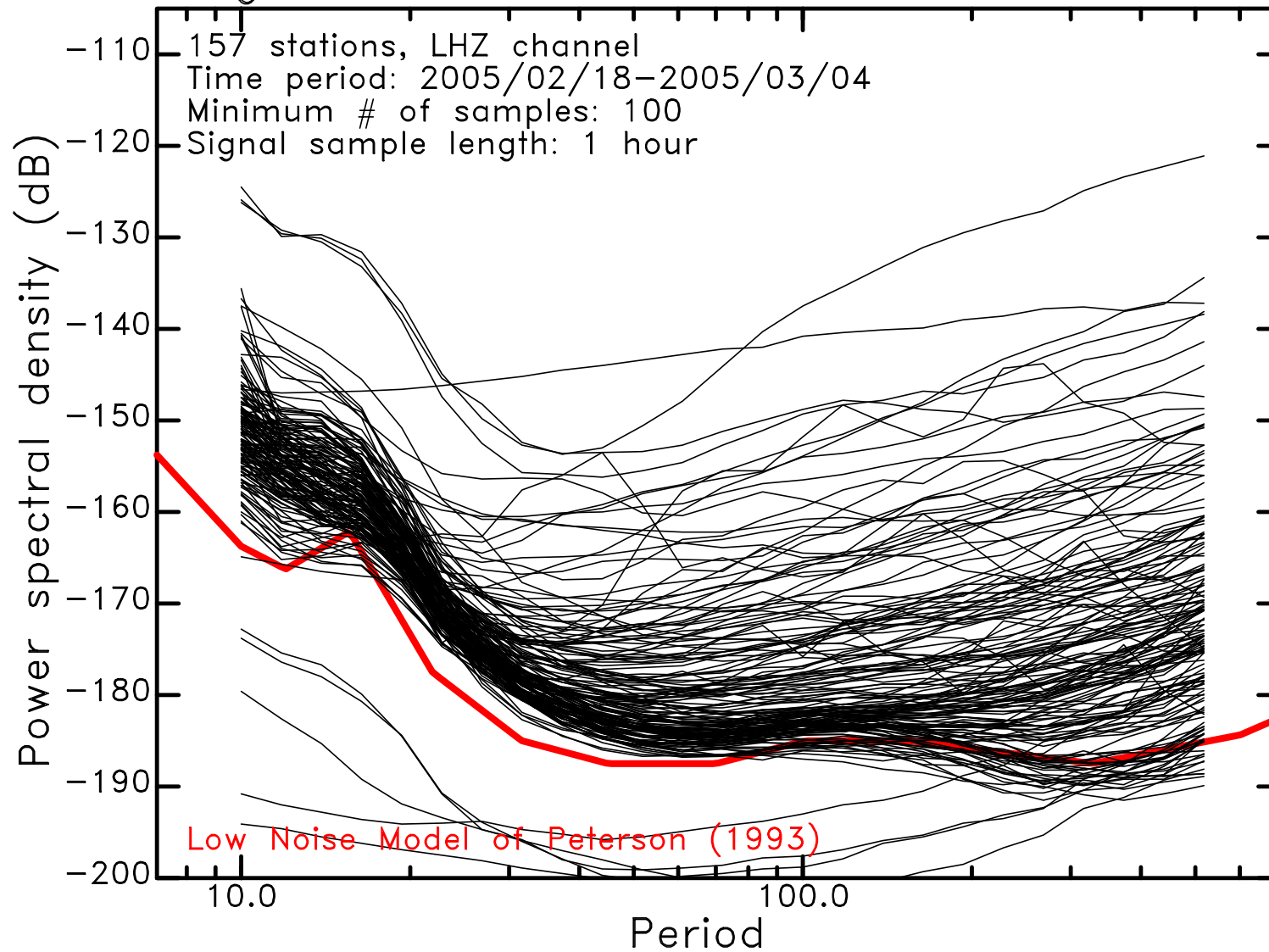
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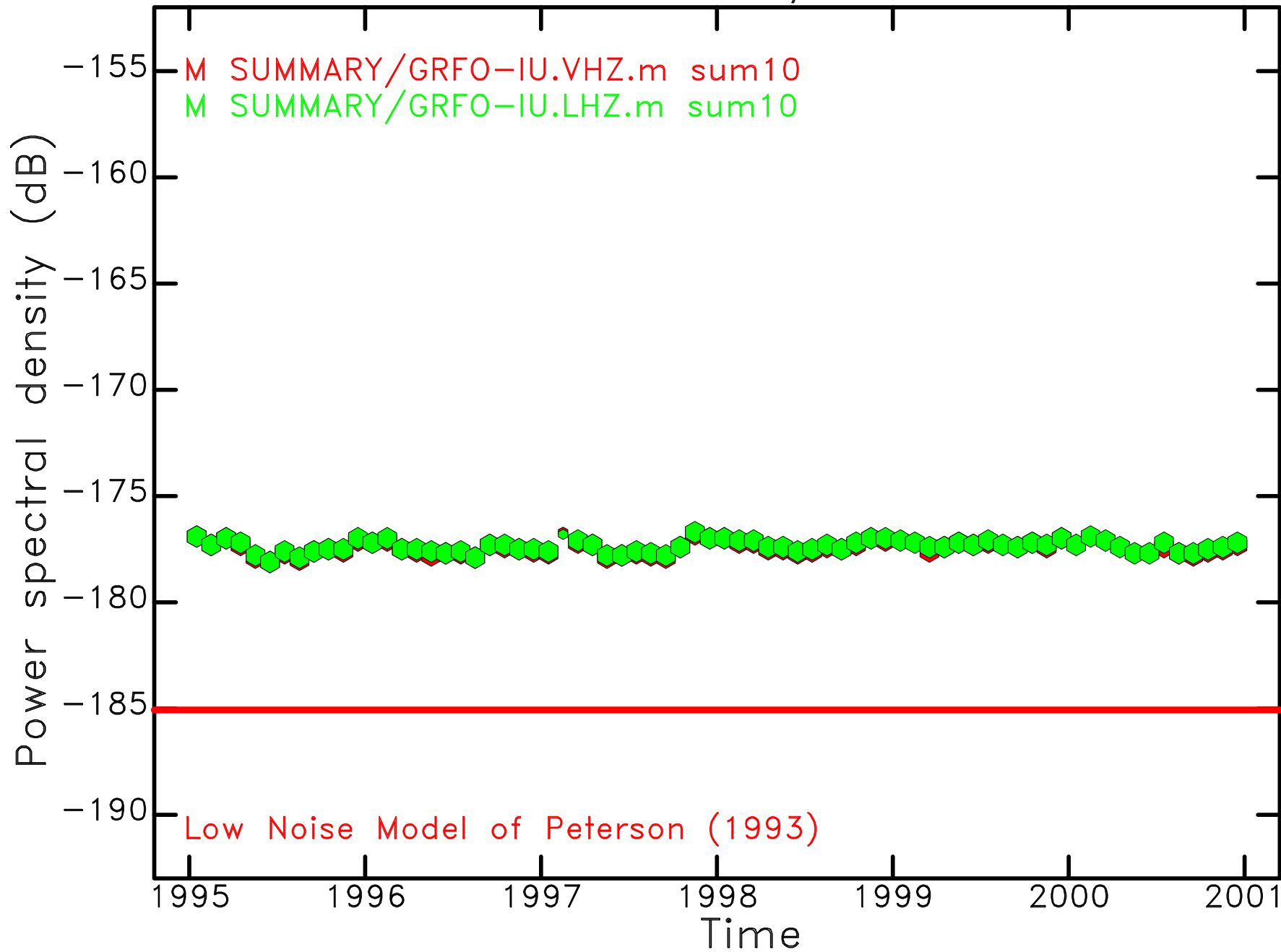
Period: 23 sec Low noise reference: -178.3 db



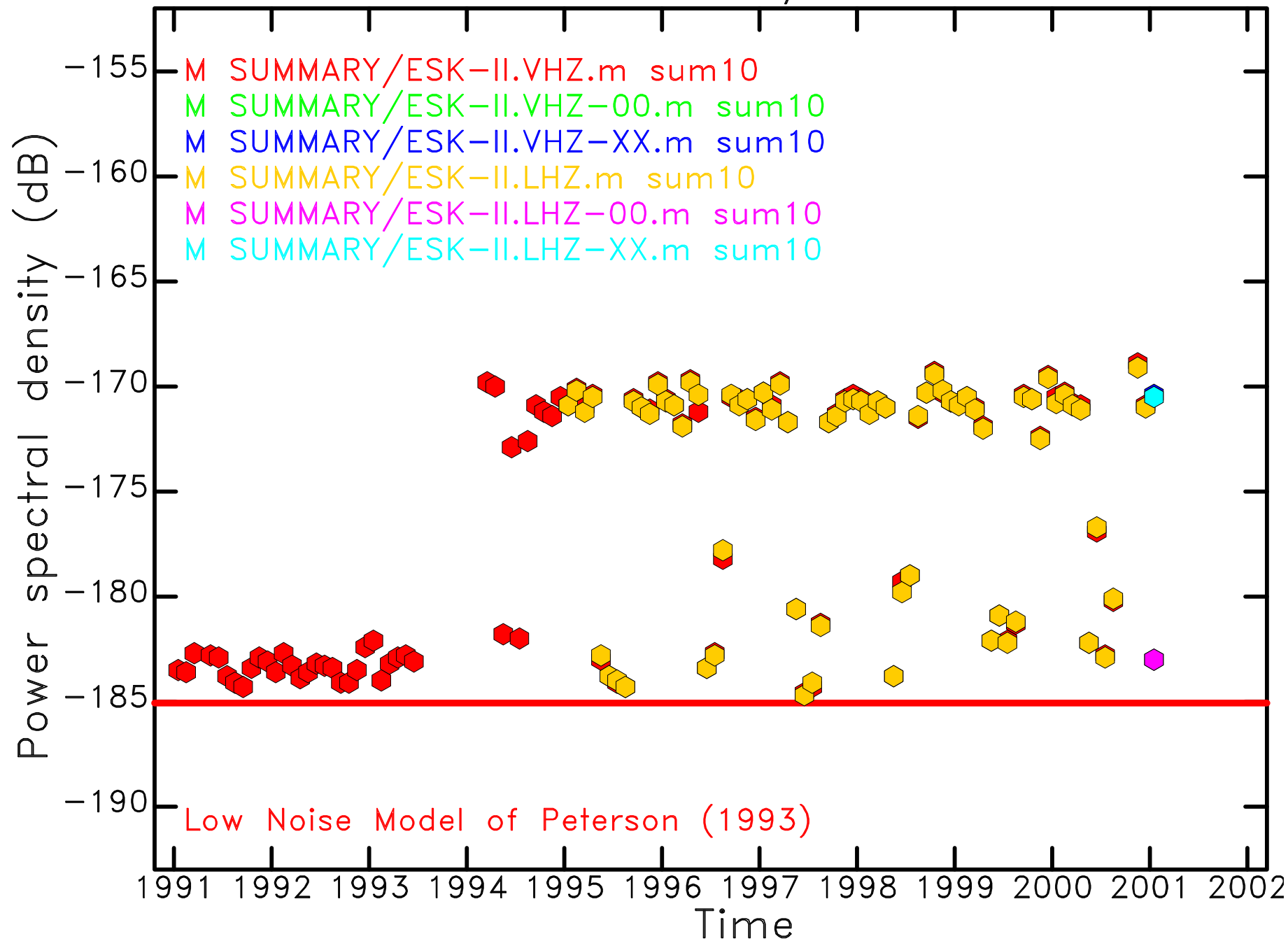
Signal level not exceeded 10% of the time



Period: 100 sec - Monthly low noise



Period: 100 sec – Monthly low noise



Topics:

5. Finding interesting things in the noise

Surface-wave dispersion

Seismic surface waves are *dispersive*, $c = c(\omega)$, where c is the velocity, $\omega = \frac{2\pi}{T}$ and T is the period of the wave.

Travel time τ is therefore dependent on frequency, $\tau(\omega)$.

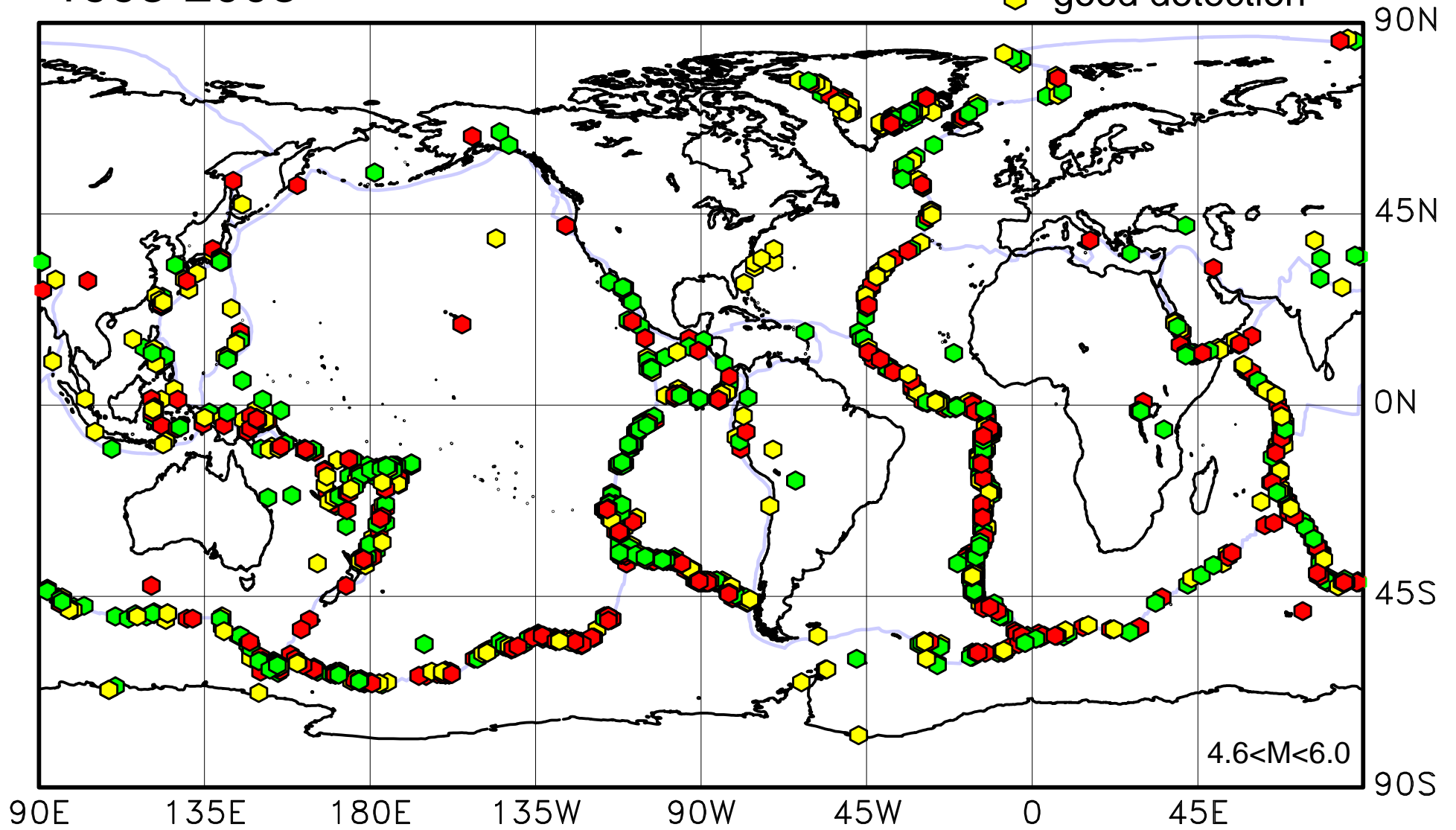
For the travel time from point (θ_A, φ_A) to point (θ_B, φ_B) we write,

$$\tau(\omega) = \int_A^B \frac{ds}{c(\theta, \varphi; \omega)}$$

with velocity depending on position, $c(\theta, \varphi)$.

1860 new seismic events
1993-2003

- best detection
- very good detection
- good detection



Web pages for earthquake locations and QC

www.seismology.harvard.edu/~ekstrom/Projects/RTDH.html

www.seismology.harvard.edu/~ekstrom/Projects/WQC.html